Innovative technologies.

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MATRIX ALGORITHM FOR THE SETTING OPTIMAL MODES OF TECHNOLOGICAL COMPLEXES ON THE LIFE CYCLE HORIZON

Matrix algorithm for the setting optimal modes of technological complexes on the life cycle horizon. The functional of economic and technological influence used.

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In [1, 2], an algorithm was proposed for selecting the optimal vector of generating and accumulating powers on a subset of available technological solutions, based on estimates of possible relative and absolute changes in the consumption vector $\{vc^{min} < vc < vc^{max}\}$ and generation. To solve the problem, the reflection and matrix transformation algorithm was used. The following matrices were needed for this algorithm to work::

- (c_{jf}) prime cost of technology j, in mode f, used during simulation for several set values of discount i;
- (t_{if}) technological parameters;
- $\{e_{if}(P_i^{MAX}, YH)\}$ the accessible annual generation volumes;
- $\{p_{jf}(P_j^{MAX}, ICU_{jf})\}$ accessible loads;
- $\{c_{if}^{ti}(P_i^{MAX}, ICU_{jf})\}$ cost of electricity supply for ti interval;
- (b_{jf}^{ti}) binary matrix of optimal sets of modes of generating and accumulation technologies, in terms of minimizing the total cost of electricity supplied during ti interval.

Elements of the cost matrix (c_{jf}) for the technology j in f mode were calculated by the formula (1):

$$(c_{jf}) = \frac{\sum_{\tau}^{T_{j}} \left\{ c_{\tau}^{cap} + c_{\tau}^{const(f)} + c_{\tau}^{var(f)} \right\}}{\sum_{\tau}^{T_{j}} \frac{e_{jf}}{(1+i)^{\tau}}}, \tag{1}$$

where: e_{jf} – annual energy amount; c_{τ}^{cap} – investment; $c_{\tau}^{const(f)}$ – constant operating expenses; $c_{\tau}^{var(f)}$ – variable operational costs; T_{j} – of the j-technology life cycle, years; τ – current year.

The accessible loads volume p_{if} was determined by the formula:

$$p_{if} = P_i * ICU_{if}, \tag{2}$$

Annual generation volumes e_{jf} – by the formula:

$$e_{if} = P_i * ICU_{if} * YH, \tag{3}$$

where: $P_j - j$ -technology installed power; ICU_{jf} – installed capacity utilization rate; YH – annual hours.

Cost of electricity supply c_{if}^{ti} for ti interval:

$$c_{jf}^{ti} = c_{jf} * e_{jf}, \tag{4}$$

The binary matrix elements b_{jf}^{ti} , which provides the optimal set of modes of generation and accumulation in terms of minimizing the total cost of energy on the ti interval, were defined as the solution to the optimization problem (5):

$$\sum_{i} c_{if}^{ti} * b_{if}^{ti} \Rightarrow min, \qquad (5)$$

if performing restrictions of technological admissibility.

The result of solving the formulated optimization problem is the matrix $\{p_{jf}^{opt}(vc,b_{jf}^{ti})\}$ of the optimal modes of using generating and accumulating powers, defined on the set $\{vc^{min} < vc < vc^{max}\}$ of possible values for energy consumption.

The generalization of the described procedure for calculating the forecast scenario of the optimal energy system using at life cycle horizon is below.

For this purpose, time series of results obtained by formulas (6 - 10) are calculated, which taking into account quasi-dynamism and are modifications of formulas (1 - 5). In particular, to calculate the values of the parameters of the

functional of economic and technological influence [3] next formulas are used: $F(j,\tau) = F[PPF(\tau), ET(j,\tau), FCF(j,\tau), EGR(\tau)]$, where PPF – regional purchasing power factor, ET – efficiency of technology, FCF – final cost factor, EGR – economy growth rate.

In turn, each of the parameters, which is included in formula, is now a member of the stochastic time series. It conventionally denote with $m_{jf\tau}$ and calculate as $m_{jf\tau} = m_{jf} * F(j,\tau)$, for example, $P_{j\tau} = P_j * F(j,\tau)$.

The conditional dynamics of components of the functional of economic and technological influence is shown in Figure 1.

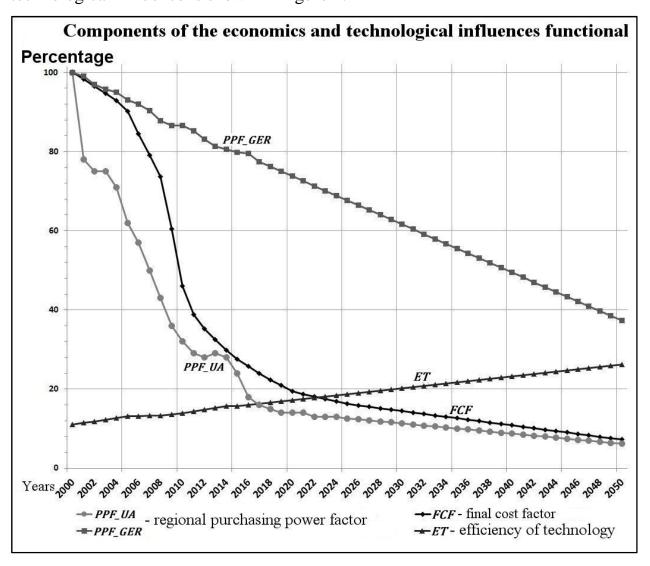


Figure 1

Now, using the modified formulas, the following stochastic elements of matrices are calculated:

$$(c_{jf\tau}) = \frac{\sum_{\tau}^{T_{j}} \left\{ c_{\tau}^{cap} + c_{\tau}^{const(f)} + c_{\tau}^{var(f)} \right\}}{\sum_{\tau}^{T_{j}} \frac{e_{jf\tau}}{(1 + i_{\tau})^{\tau}}},$$
(6)

$$p_{jf\tau} = P_{j\tau} * ICU_{jf\tau}, \tag{7}$$

$$e_{if\tau} = P_{i\tau} * ICU_{if\tau} * YH_{\tau}, \tag{8}$$

$$c_{if\tau}^{ti} = c_{if\tau} * e_{if\tau}, \tag{9}$$

and at each step of the life cycle horizon τ , the problem of finding the optimal set of generation and accumulation modes (10) is solved:

$$\sum_{i\tau} c_{if\tau}^{ti} * b_{if\tau}^{ti} \Rightarrow min. \tag{10}$$

The result of the solution of the formulated optimization problem is the set of matrices $\{p_{jf\tau}^{opt}(vc_{\tau},b_{jf\tau}^{ti})\}$ of optimal conditions of generation and accumulation.

The procedures proposed in the work can be used to optimize the modes of similar technological complexes on the life cycle horizon.

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